

Electronics Voltage Dividers

Terry Sturtevant

Wilfrid Laurier University

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One of the simplest forms of voltage divider is where one of the elements is a *switch*.

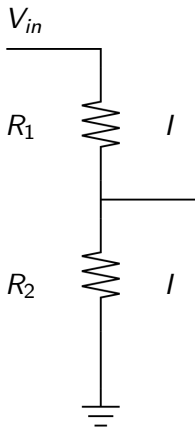
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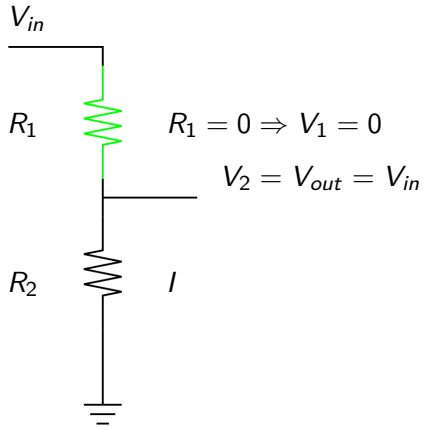
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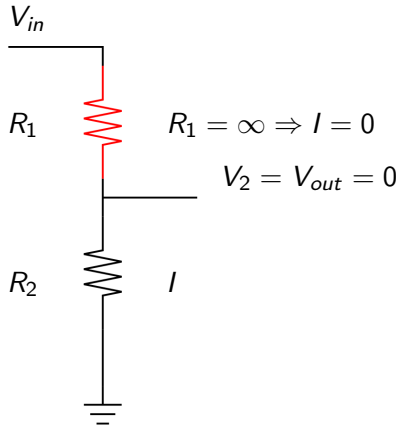
Following is an illustration of a voltage divider where one element is a switch.

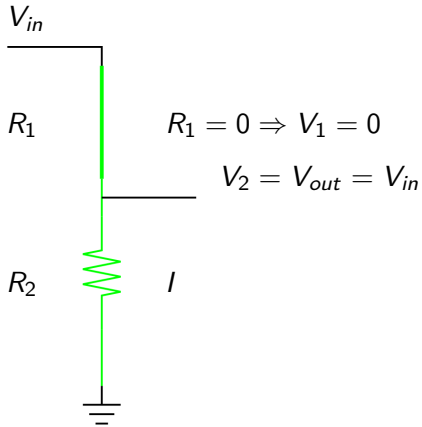


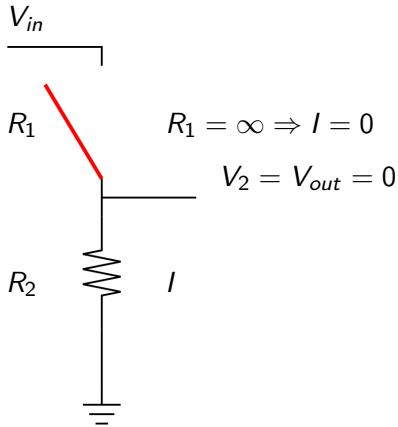
$$V_{out} = V_{in} \left(\frac{R_2}{R_1 + R_2} \right)$$

True if $I_{out} \equiv 0$





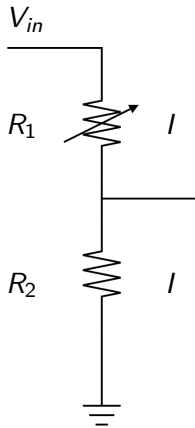




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If either resistor in a voltage divider is *variable*, then a range of output voltages is possible.



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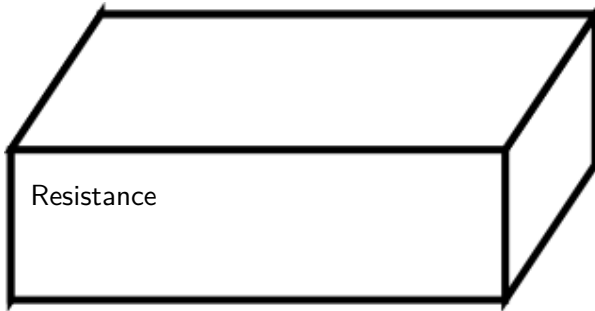
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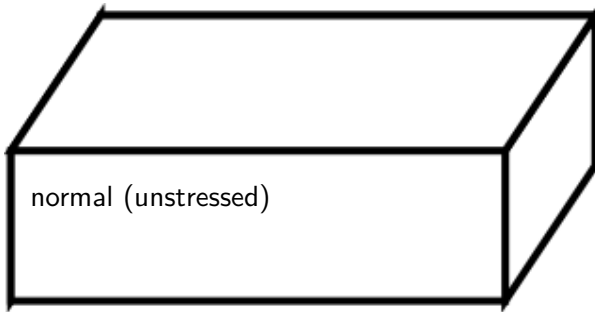
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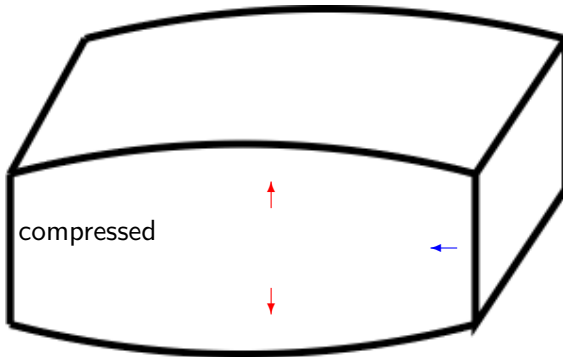
- Potentiometer; the resistance varies with physical movement
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- Strain gauge (or gage); the resistance varies with stress or compression
- Force-dependent resistor; the resistance varies with applied pressure



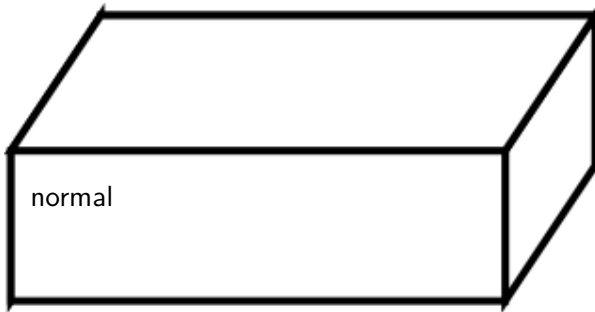
$$R = \rho \frac{L}{A}$$



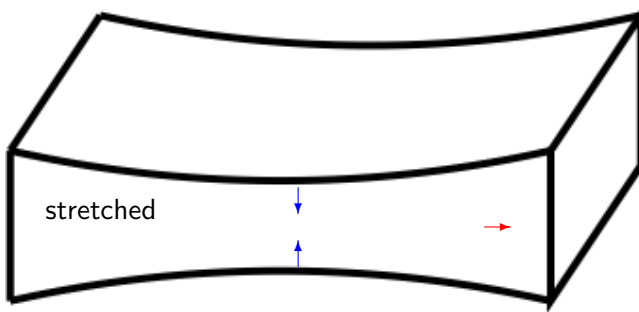
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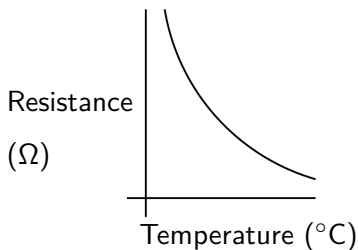
$$R = \rho \frac{L-}{A+} < R_0$$



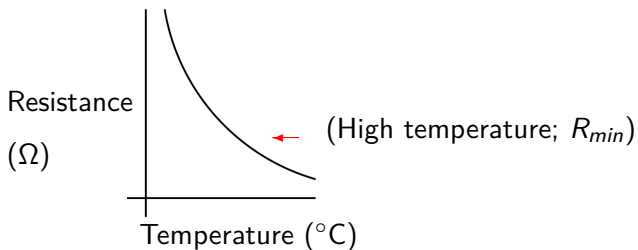
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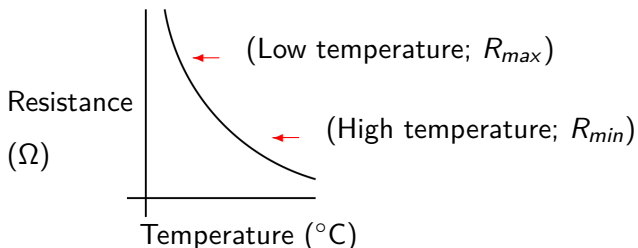
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This is the resistance/temperature curve for a thermistor.



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$$R = \sqrt{R_{min} \times R_{max}}$$

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Range of output voltages depends on range of R_t

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From a voltage divider, the output voltage will still have an offset.

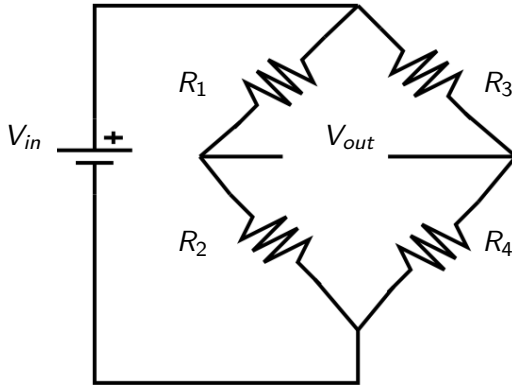
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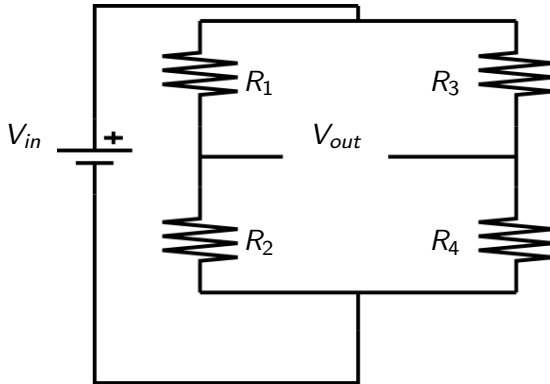
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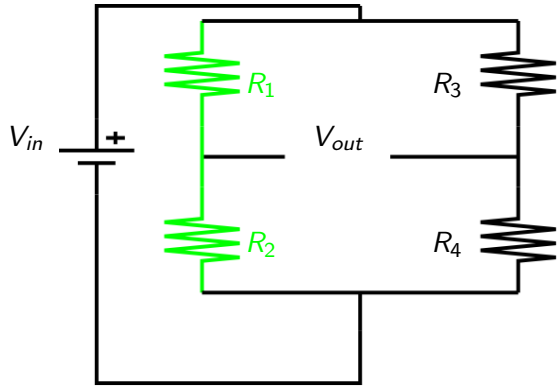
It's usually operated with the output voltage at or close to zero.



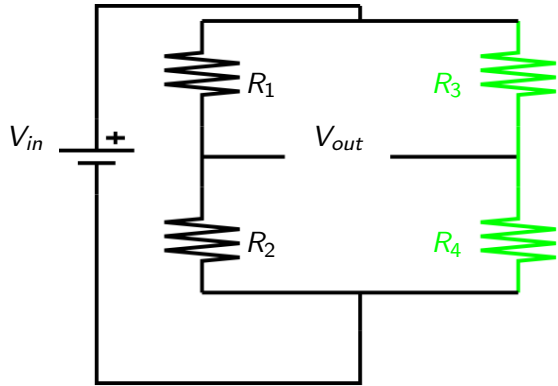
This is a Wheatstone bridge.



Here it's redrawn to show the two voltage dividers.



Here's one voltage divider.



Here's the other voltage divider.

Often a Wheatstone bridge is used with one resistor variable, such as a resistive sensor.

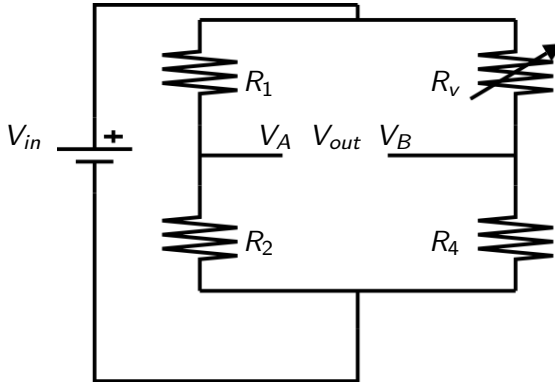
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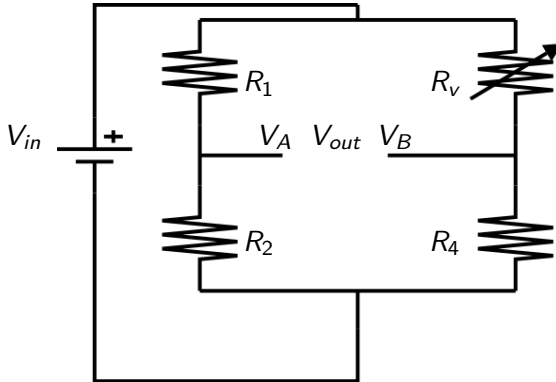
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The circuit is very sensitive to small changes in the variable resistor.





The variable resistor could be in any of the four positions; this is one example.

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For our diagram $R_1 \rightarrow R_2$ is the *reference* branch, and
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If using a resistive sensor, use a meter to measure resistance of sensor to get a correct order of magnitude.

Wheatstone bridge options

- Lead wire compensation

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- Lead wire compensation
- Temperature compensation

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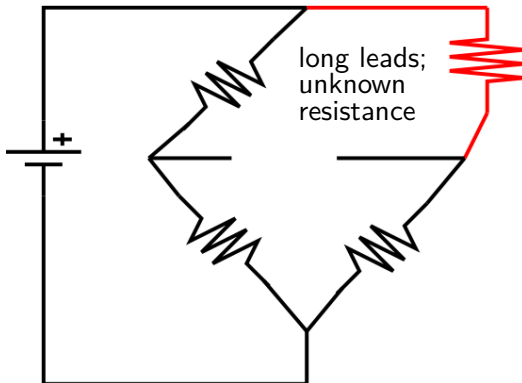
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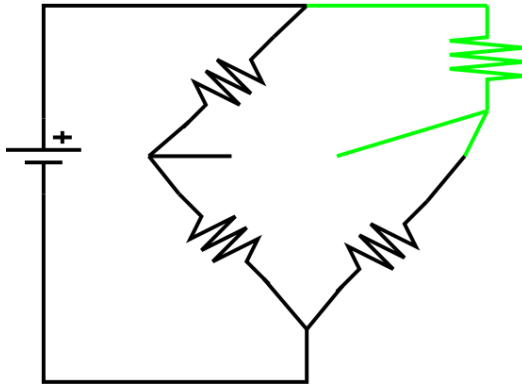
differential op amp circuit with voltage followers on the inputs

Lead wire compensation



Uncompensated

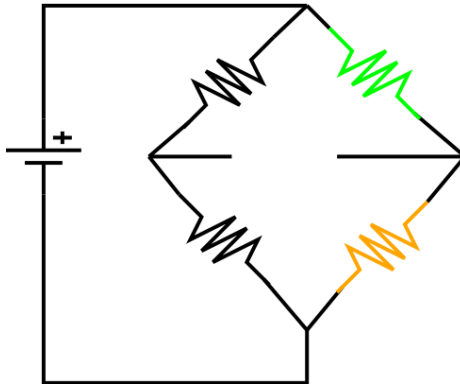
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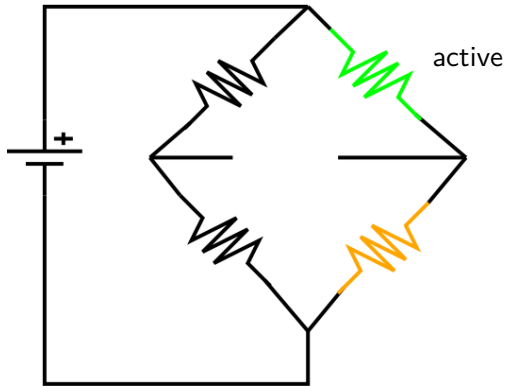
No current flows in measurement lead; similar resistance in both other leads

Temperature compensation

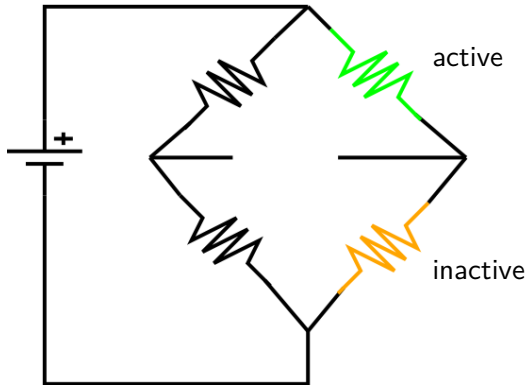
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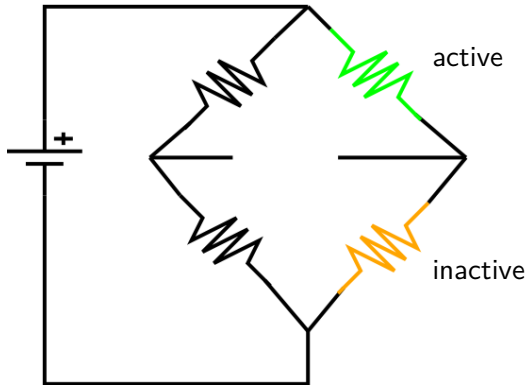
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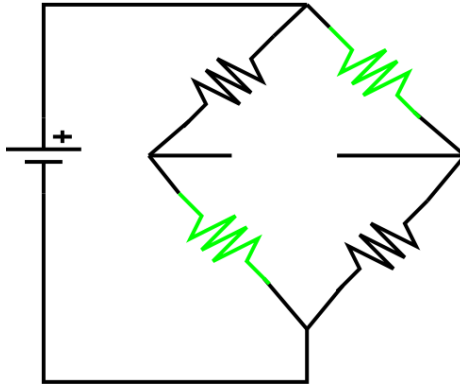
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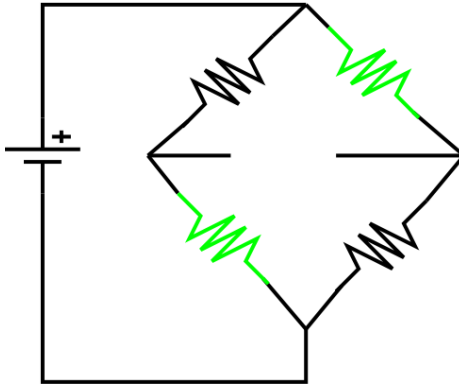
Temperature response of non-active sensor similar to active sensor

Doubling sensitivity

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Sensors in diagonal positions produce opposite responses.

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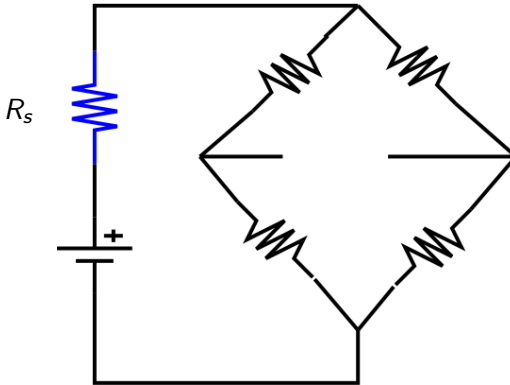
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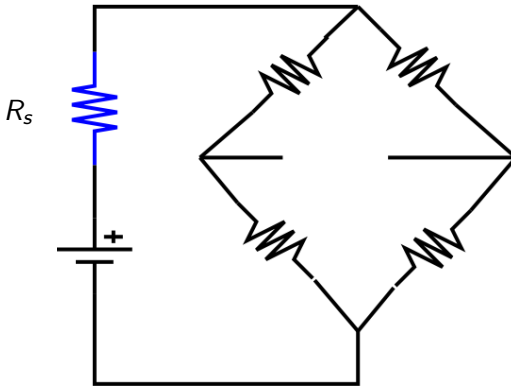
thus current controlled by R_s (fixed) rather than R_t (variable).

Reducing current

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This is useful if the voltage supply is fixed.